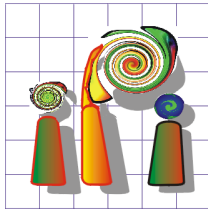


Image analysis based on probabilistic models



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Lena Albert, Thorsten Hoberg, Joachim Niemeyer



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Universität
Hannover

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- Strategies in image analysis
- Examples
- (Some) current challenges
- Summary



Our tasks

- **Geometric parameter estimation**
 - Image orientation, 3D point determination (bundle adjustment)
 - Ego motion and obstacle avoidance (navigation, robotics)
 - Object surface reconstruction (DSM, DTM)
- **Image classification (machine learning)**
 - Foreground / background separation
 - Land cover / land use classification
 - Classification of surface patches (planar, quadratic, free form)
- **Interpretation, object extraction and tracking**
 - Scene understanding (“story telling”)
 - Façade interpretation
 - Tracking of moving objects (humans, animals, other targets)



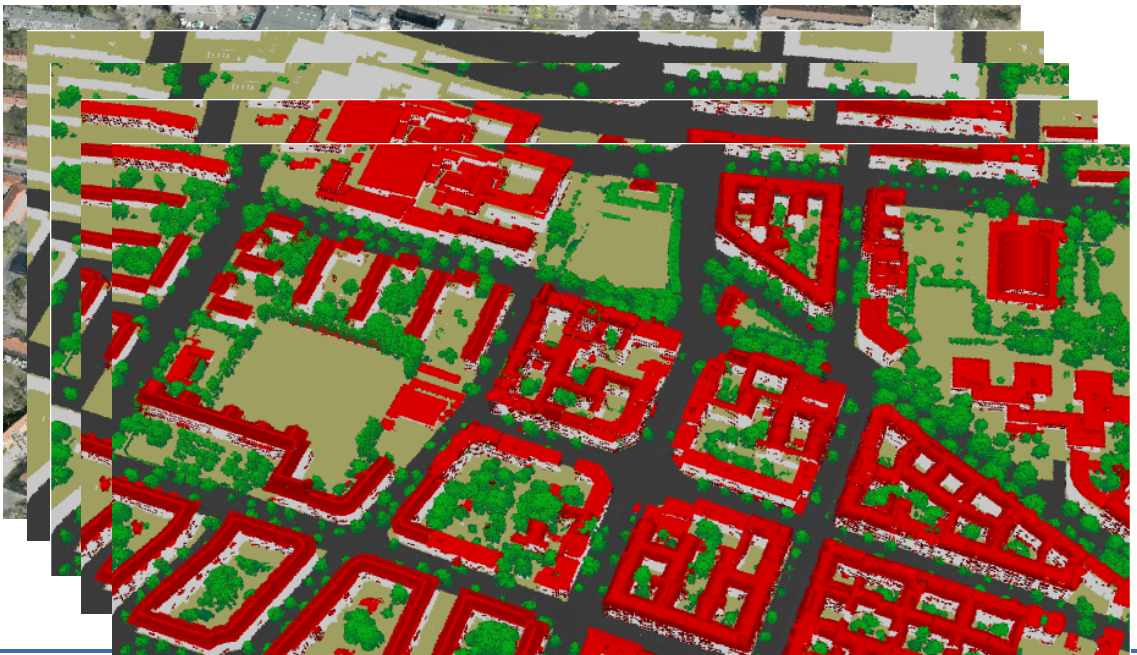
The goal



implicit information (aerial image) → explicit information (vector data)



The goal



Strategies in image analysis



Strategies in image analysis

- Automatic recognition of objects in sensor data requires **knowledge about objects**
- Differentiation according to use of knowledge:

Model based approaches

- Knowledge incorporated in the form of explicit **object models**
- Object classes are treated separately (no/little relations)

Statistical approaches

- Knowledge is learnt from **examples**
- Image is treated as a whole (incl. context)



Model based approaches

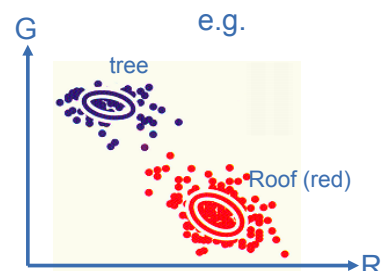
- Sensor data are interpreted based on pre-defined object models
 - Example: building extraction from DSM
 - Buildings lie above the terrain (digital terrain model, DTM)
 - Buildings are characterised by planes (roofs, walls, ...)
 - Buildings have a certain minimum height
 - For more complex tasks: e.g. Knowledge based systems
- Problem:
 - Complexity of pre-defined models
 - Transferability to new scenes



Statistical approaches



- Object knowledge coded in examples → training data
- Analysis based on similarity of features in feature space



Statistical approaches

- **Probabilistic approaches:**

- classification based on probabilities
 - Maximum Likelihood classification
 - Logistic regression
 - Random Fields

- **Non-probabilistic approaches:**

- classification does not consider probabilities
 - Support Vector Machines (SVM)
 - Random Forests (RF)



Markov Random Fields (MRF)

- **Motivation: consideration of context**

- Class labels of neighbouring nodes are not independent -> smoothing

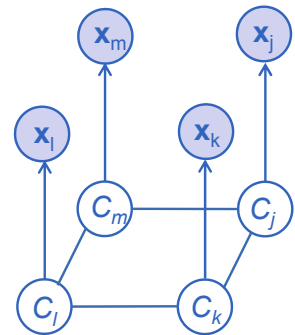
- Dependencies of the classes

→ Simultaneous classification of all pixels

→ Determination of a label image \mathbf{C} , for which $p(\mathbf{C}|\mathbf{x}) \rightarrow \max$

- In general approximate training and classification only

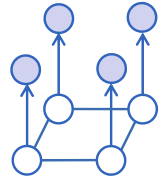
– Optimisation for graphs of certain structures



Markov Random Fields (MRF)

- $p(\mathbf{C}|\mathbf{x})$ can be described by a **Gibbs-distribution** (Li, 2009):

$$p(\mathbf{C}|\mathbf{x}) = \frac{1}{Z(\mathbf{x})} \cdot \prod_{i \in n} \varphi_i(\mathbf{C}_i, \mathbf{x}_i) \cdot \prod_{i,j \in e} \psi_{ij}(\mathbf{C}_i, \mathbf{C}_j)$$



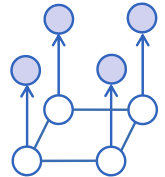
- Z ... Partition function, normalisation, depends only on \mathbf{x}
- data \mathbf{x}_i of individual pixels, considered to be conditionally independent
- $\varphi_i(\mathbf{C}_i, \mathbf{x}_i)$: **Association potentials**
 - relate data and classes
 - e.g. likelihood of a local classifier: $\varphi_i(\mathbf{C}_i, \mathbf{x}_i) = p(\mathbf{x}_i | \mathbf{C}_i)$
- $\psi_{ij}(\mathbf{C}_i, \mathbf{C}_j)$: **Interaction potentials**: context model, depends on classes
 - e.g. **Potts model**: it is most probable that two neighbouring pixels belong to the same class



Conditional Random Fields (CRF)

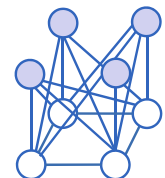
- **Markov Random Fields**:

$$p(\mathbf{C}|\mathbf{x}) = \frac{1}{Z} \cdot \prod_{i \in n} \varphi_i(\mathbf{C}_i, \mathbf{x}_i) \cdot \prod_{i,j \in e} \psi_{ij}(\mathbf{C}_i, \mathbf{C}_j)$$



- **Conditional Random Fields** (Kumar & Hebert, 2006):

$$p(\mathbf{C}|\mathbf{x}) = \frac{1}{Z} \cdot \prod_{i \in n} \varphi_i(\mathbf{C}_i, \mathbf{x}) \cdot \prod_{i,j \in e} \psi_{ij}(\mathbf{C}_i, \mathbf{C}_j, \mathbf{x})$$



- $\varphi_i(\mathbf{C}_i, \mathbf{x})$: **Association potentials**: data \mathbf{x}_i of individual pixels are **not** considered to be conditionally independent
- $\psi_{ij}(\mathbf{C}_i, \mathbf{C}_j, \mathbf{x})$: **Interaction potentials**: context model also depends on data \mathbf{x}



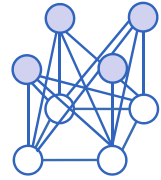
CRF: Potentials

- **Association potential:**

- arbitrary local classifier with probabilistic output

$$\varphi(C_i, \mathbf{x}) = p(C_i | \mathbf{f}_i(\mathbf{x}))$$

with $\mathbf{f}_i(\mathbf{x})$... feature vector for each node



- **Interaction potentials:**

- **Contrast sensitive Potts-Model:** neighbouring pixels probably belong to the same class, if features are similar
→ smoothing depends on difference of features
- Arbitrary local classifiers:

$$\psi_{ij}(C_i, C_j, \mathbf{x}) = p(C_i, C_j | \mu_{ij}(\mathbf{x}))$$

with $\mu_{ij}(\mathbf{x})$... feature difference vector for each node ($\mu_i \neq \mathbf{f}_i$)



Examples

- High res. LU / LC update
- Road extraction considering occlusions
- Classification of urban LiDAR data
- Multi-temporal/multi-scale classification

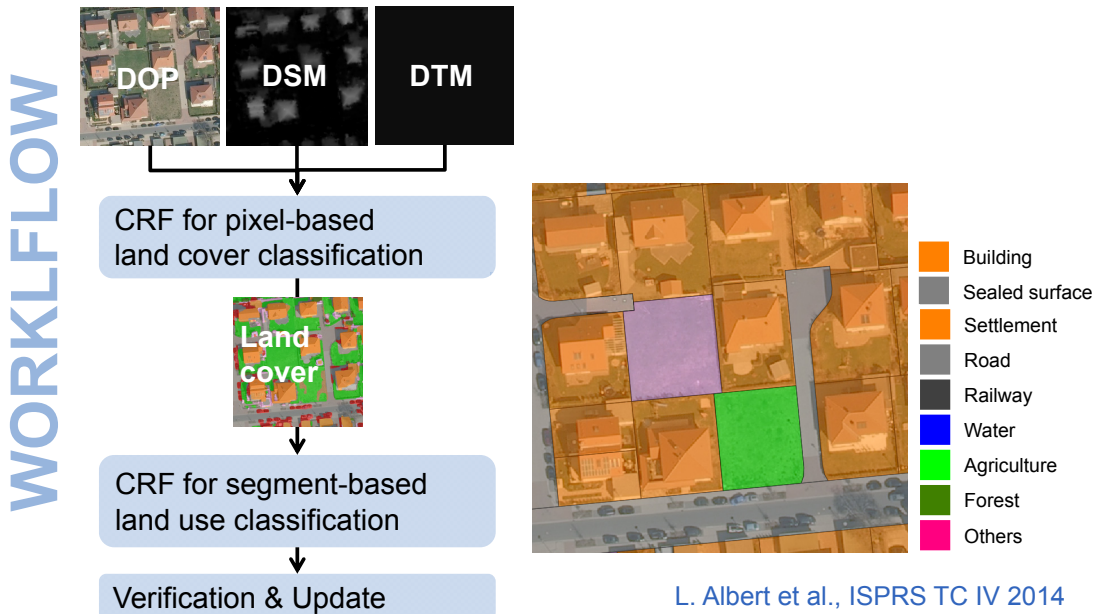
chosen to show the flexibility of CRF



High resolution land use / land cover update in urban areas



LU / LC update in urban areas



L. Albert et al., ISPRS TC IV 2014



Step 1: Classification of land cover

- Graphical model:

- Nodes: pixels
- Edges: spatial 4-neighbourhood

- Features:

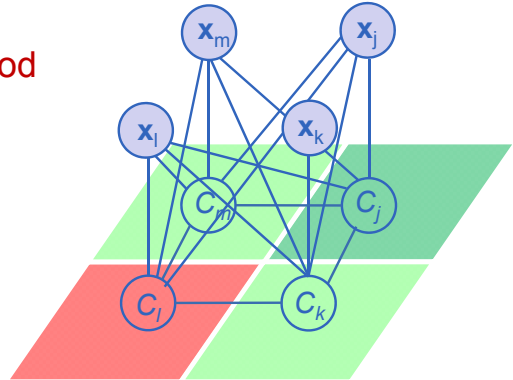
- Spectral, 3D and texture

- Association potentials:

- Random Forest

- Interaction potential:

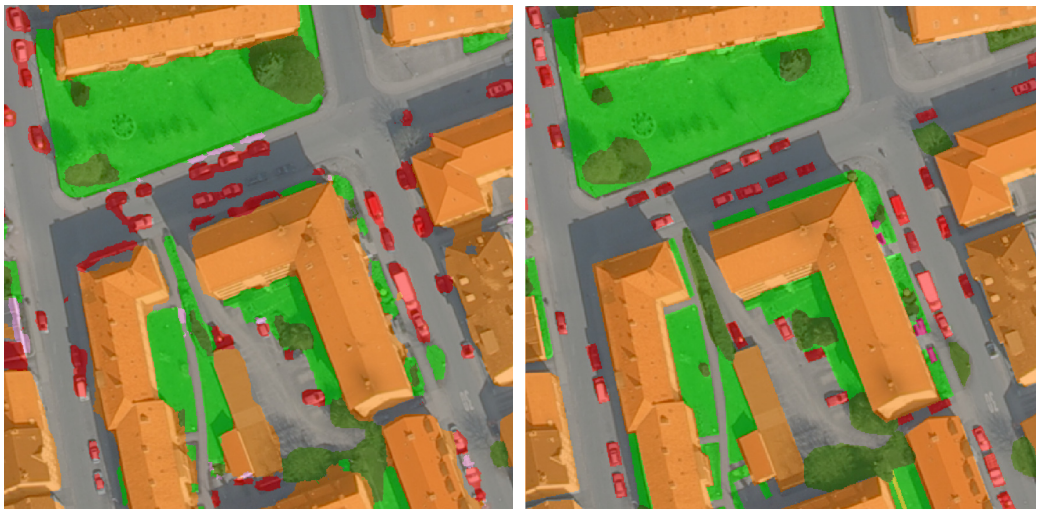
- Contrast sensitive Potts model













Land cover classification results

Classification result

Reference



| | | | | |
|---|---|--|---|--|
|  Building |  Bare soil |  Gras |  Water |  Car |
|  Sealed s. |  Agriculture |  Tree |  Rails |  Other |

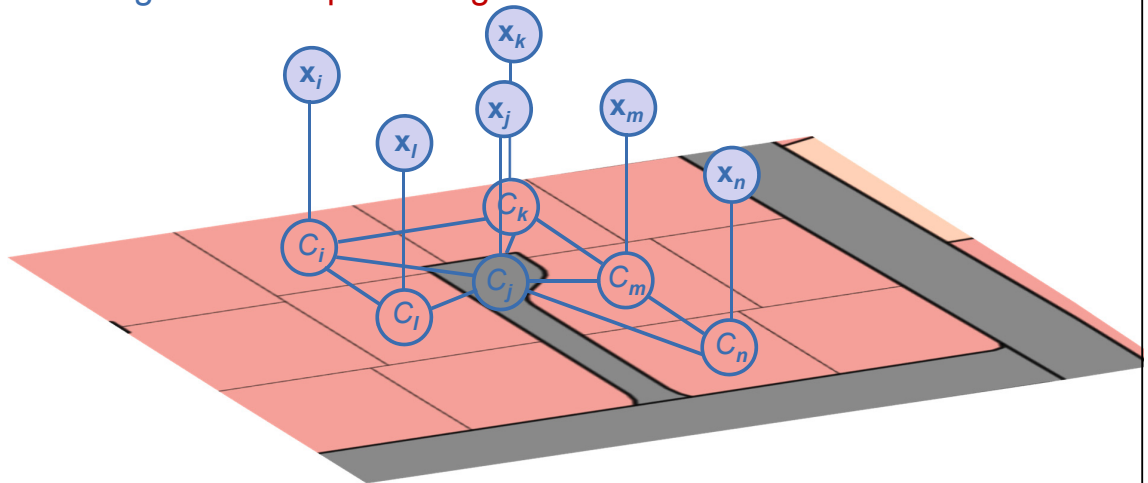
Overall accuracy: 81,3 %



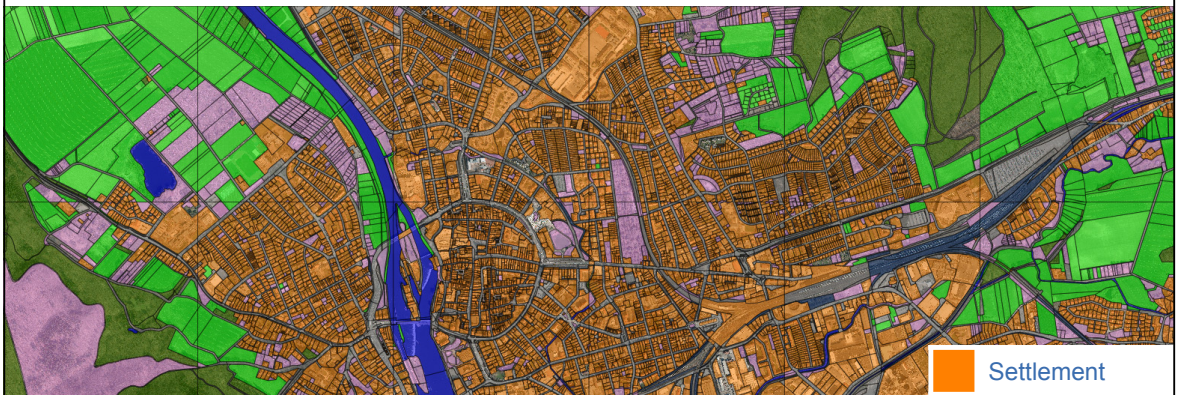
Step 2: Classification of land use

• Graphical model:

- Nodes: **segments** (GIS-objects) from data base
- Edges: **direct spatial neighbourhood**



Classification of land use: Hameln



- Size: 2 x 6 km²
- Overall accuracy (based on objects): 85,5%
- Problems: classes occurring seldom
→ more training data necessary

| | |
|------------|-------------|
| Orange | Settlement |
| Grey | Road |
| Black | Railway |
| Blue | Water |
| Green | Agriculture |
| Dark Green | Forest |
| Pink | Other |



Road extraction considering occlusions

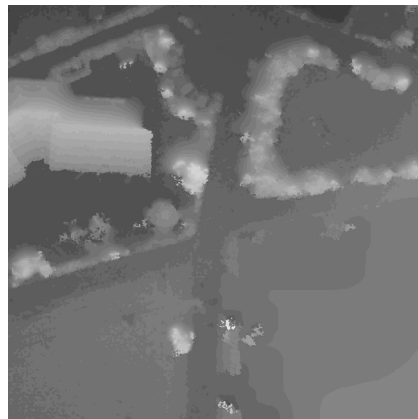


Motivation

- Road extraction: occlusion of road surface



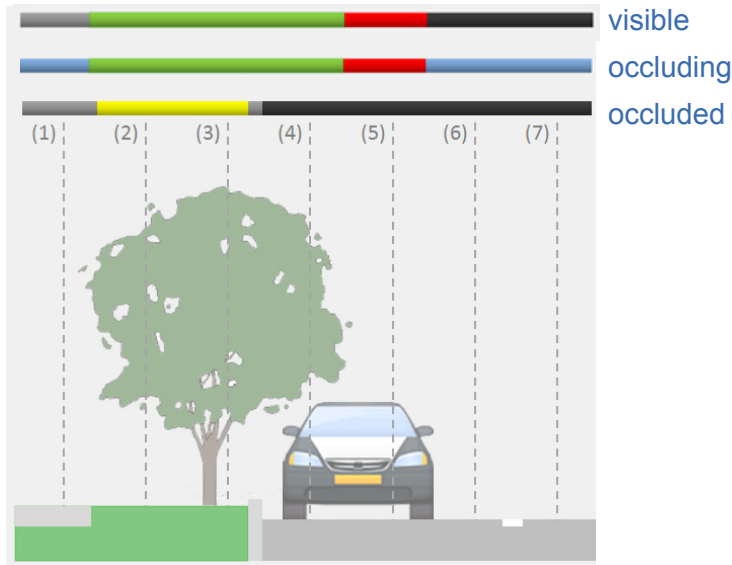
Orthophoto (8 cm)



DSM



Vertical scene structure



Graphical model

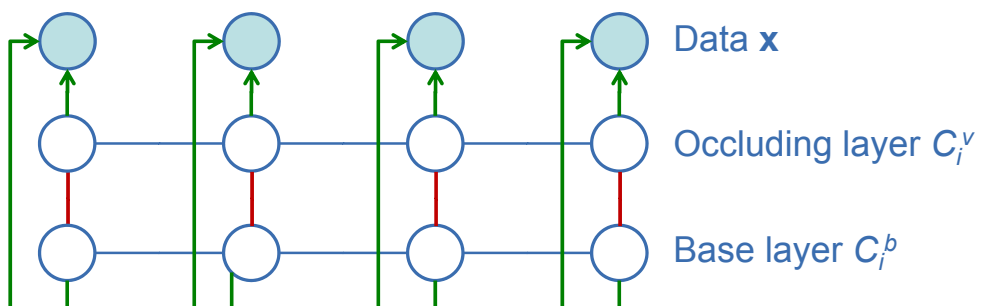
- Two layers with different class structure

1) **Base layer C_i^b :** can be occluded, does not occlude

– Example: $C_i^b \in \{ \text{Sealed surface, Building, Gras, Farmland} \}$

2) **Occluding layer C_i^y :** can occlude other objects

– Example: $C_i^y \in \{ \text{Tree, Car, void} \}$

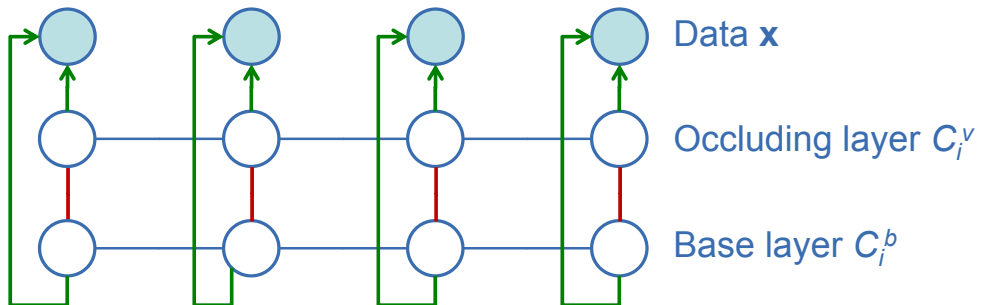


Graphical model

- Model for a posteriori probability:

$$p(\mathbf{C}^b, \mathbf{C}^v | \mathbf{x}) = \frac{1}{Z} \cdot \prod_{i \in n} \xi_i(\mathbf{C}_i^b, \mathbf{C}_i^v, \mathbf{x}) \cdot \left[\prod_{i \in \{b,v\}} \varphi'_i(\mathbf{C}_i, \mathbf{x}) \cdot \prod_{i,j \in e'} \psi'_{ij}(\mathbf{C}_i, \mathbf{C}_j, \mathbf{x}) \right]$$

- Standard CRF for each of the two layers
- new interaction potential $\xi_i(\mathbf{C}_i^b, \mathbf{C}_i^v, \mathbf{x})$ connecting layers



Results

- Simple interaction model (Kosov et al., 2013)



- Overall accuracy: Base layer: 85,6% (+14%)
Occluding layer: 86,0% (±0%)

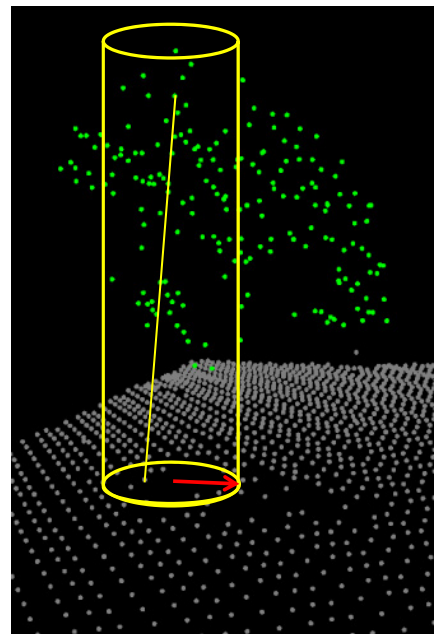


Classification of urban LiDAR data



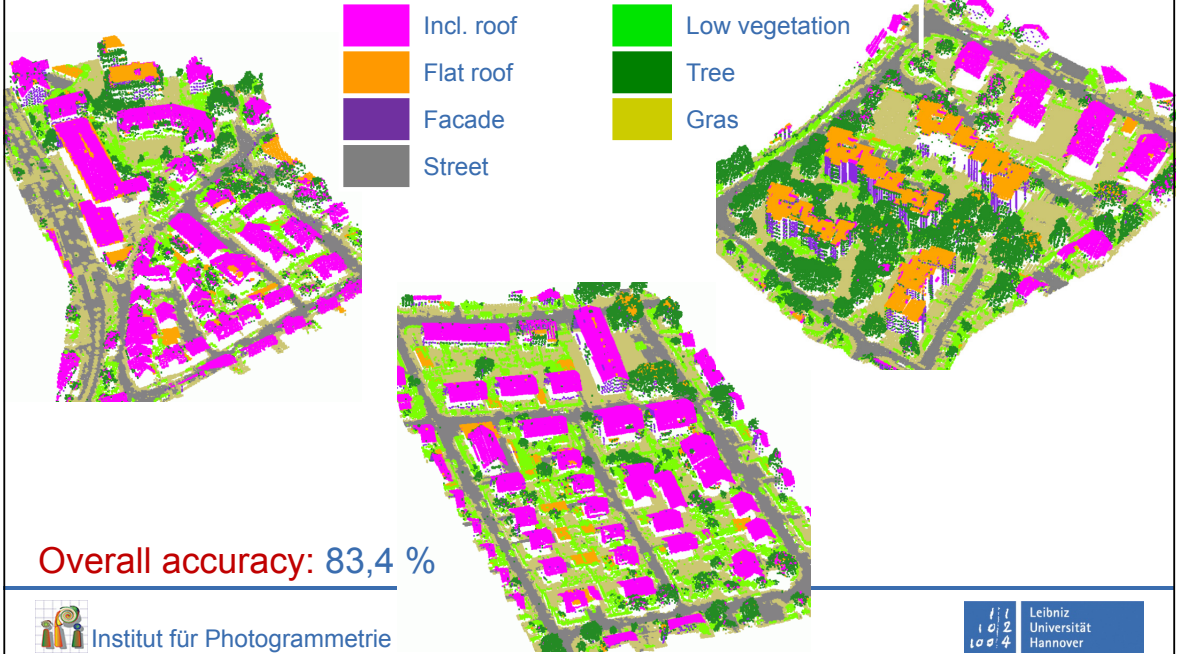
CRF for airborne LiDAR data

- Point wise classification (Niemeyer et al., 2014)
 - **Nodes:** 3D points
 - **Features:** extracted from local point neighbourhood
 - **Edges:** Nearest neighbourhood in 2D
→ cylinder
 - **Potentials:** Random Forests for association and interaction potentials



Results

• Test data „Vaihingen“ of ISPRS (Rottensteiner et al., 2014)



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Multi-temporal / multi-scale classification of land cover



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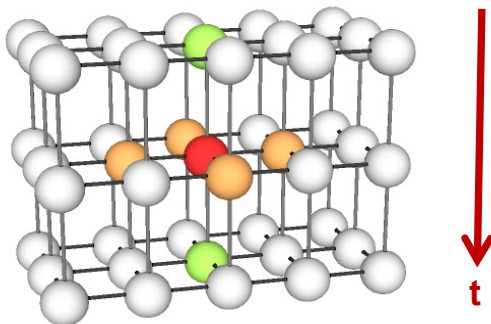
Multi-temp./multi-scale class. of land cover

- **Goal:** land cover classification, incorporating temporal knowledge
 - multi-scale model
 - can handle different sensors
- **Data:** Multi-spectral satellite images of different epochs
 - variable ground sampling distance: e.g. 4 m – 30 m
 - classes: *Settlement (S)*, *Industry (I)*, *Forest (W)*, *Agriculture (A)*
- **Simultaneous classification of data of all epochs using CRF**



CRF for multi-temp./multi-scale classification

- **Nodes:** Pixel of images of all epochs
- **Edges:** direct spatial and temporal neighbourhood
- **Graph structure:**

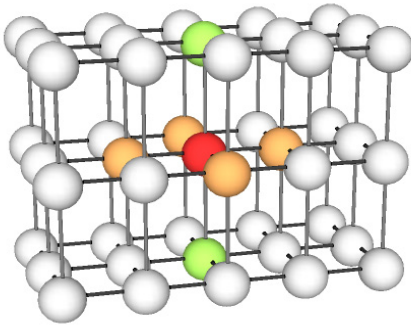


for images with equal ground sampling distance



CRF for multi-tem./multi-scale classification

- Nodes: Pixel of images of all epochs
- Edges: direct spatial and temporal neighbourhood
- Graph structure:



for images with equal ground sampling distance

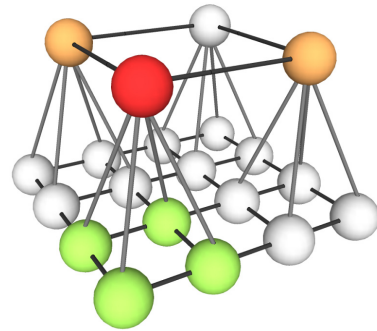


image with different ground sampling distance



Extended CRF model

- Standard CRF

$$p(\mathbf{C} | \mathbf{x}) = \frac{1}{Z} \cdot \prod_{i \in \mathcal{N}} \varphi_i(\mathbf{C}_i, \mathbf{x}) \cdot \prod_{i, j \in \mathcal{E}} \psi_{ij}(\mathbf{C}_i, \mathbf{C}_j, \mathbf{x})$$

- Model for multi-temporal classification:

$$p(\mathbf{C} | \mathbf{x}) = \frac{1}{Z} \cdot \prod_t \left[\prod_{i \in \mathcal{N}} \varphi_i^t(\mathbf{C}_i^t, \mathbf{x}^t) \cdot \prod_{i, j \in \mathcal{E}_s} \psi_{ij}^t(\mathbf{C}_i^t, \mathbf{C}_j^t, \mathbf{x}^t) \cdot \prod_{i, l \in \mathcal{E}_t} \tau^{tk}(\mathbf{C}_i^t, \mathbf{C}_l^k) \right]$$

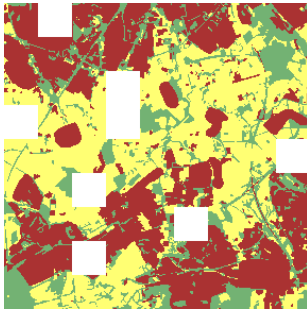
- association potential: Normal distribution
- ψ : spatial interaction potential: contrast sensitive Potts model
- temporal interaction potential τ : transition probability

$$p(\mathbf{C}_i^t | \mathbf{C}_i^{t-1})$$

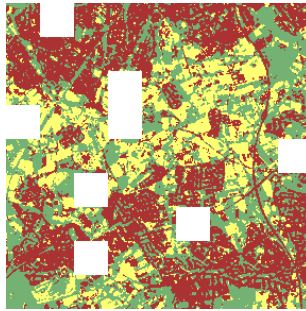


Multi-temporal classification: results

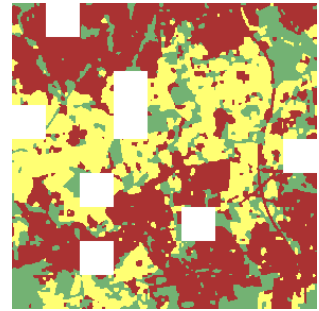
- Landsat 2010:



Reference



ML



CRF multitemp

| | Overall accuracy |
|---------------------|------------------|
| Ikonos 2005 (4 m) | 81.5 % |
| RapidEye 2009 (5 m) | 80.6 % |
| Landsat 2010 (30 m) | 80.4 % |

- allows also for detection of changes



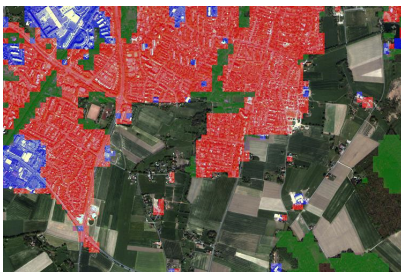
Results – CRF multi-temporal



reference



Ikonos 2005 (81,5%)



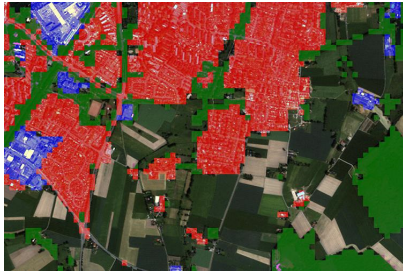
Ikonos 2007 (80,4%)



RapidEye 2009 (80,6%)



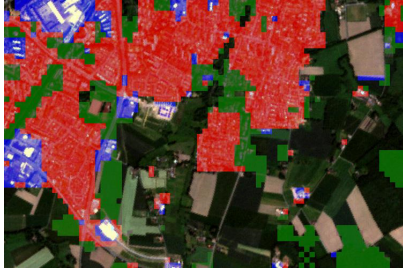
Results – RapidEye 2009



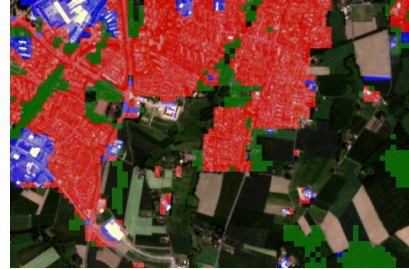
reference



ML (64,4%)



CRF mono (66,2%)



CRF multi (80,6%)

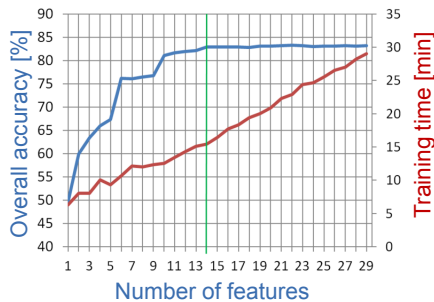


(Some) current challenges



Feature definition

- Success of classification depends on proper feature selection
- Few, but expressive features are often sufficient (e.g. Niemeyer et al., 2014):



... but which ones are best?

- Approaches for automatic feature selection
- Feature learning, e.g. „Convolutional Neural Networks“



Global context

- Interaction term of MRF and CRF are very local
 - local error clusters can't be avoided
 - more global interactions needed
- Approaches for modelling interactions across larger distances



- Hierarchical models
- Two-step procedure (pixels → segments)
- Higher order potentials



Integration of model knowledge

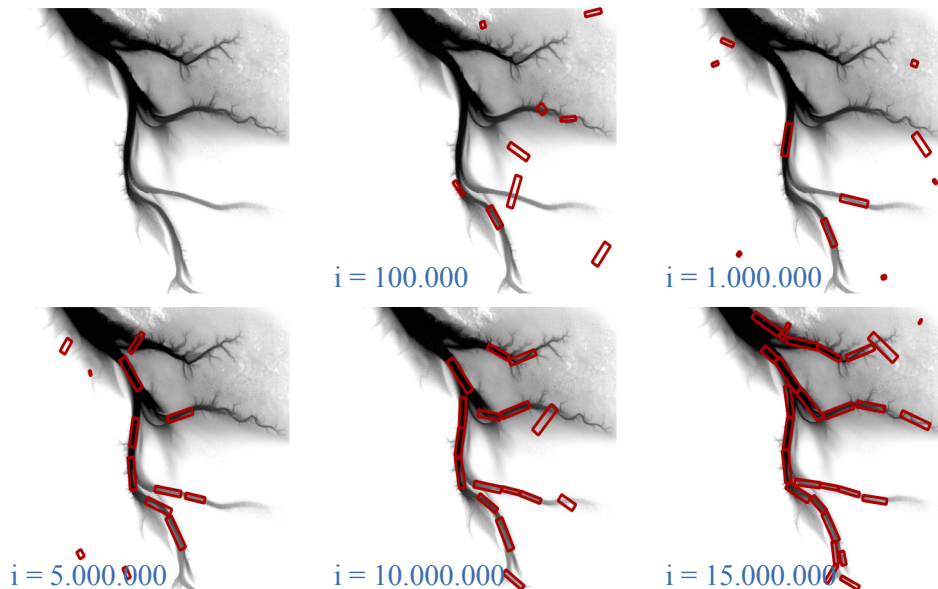
- Deterministic model knowledge cannot be integrated into CRF
 - e.g. knowledge about object form
- Stochastic approach with deterministic models:

Marked Point Processes (Ortner et al., 2007)



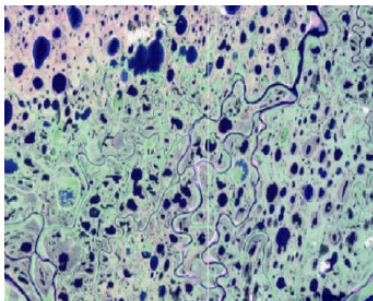
Integration of model knowledge

- Example: detection of water ways in laser scanner data (A. Schmidt)

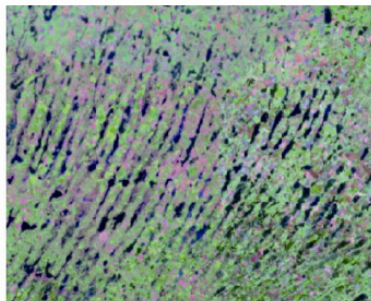


Training: Transfer learning and label noise

- **Problem:** Acquisition of sufficient amounts of **representative training data**
 - + Training allows simple adaptation to sensor data
 - Acquisition of training data is time and cost intensive
 - Training data are not necessarily without error
- **Transfer learning:** Adaptation of a learnt classifier to data of a different distribution (Pang & Yang, 2010)
 - With (few) or without any new training data
- **Classification under label noise:** Model for errors in training data for which parameters are also being estimated (Frénay & Verleysen, 2014)



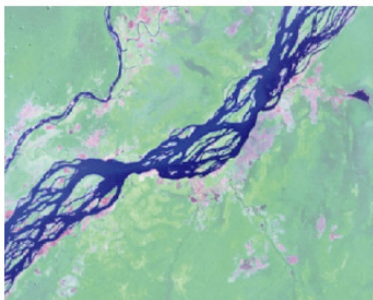
(a) Dense water area in Tundra zone



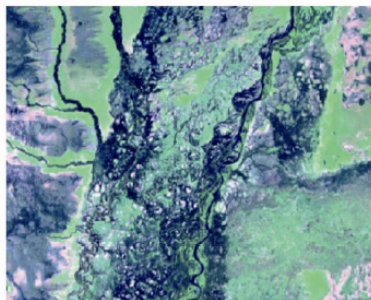
(b) Dense water area in grasslands



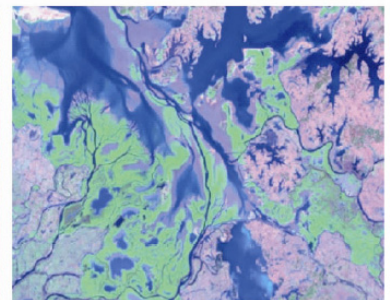
(c) Ephemeral streams



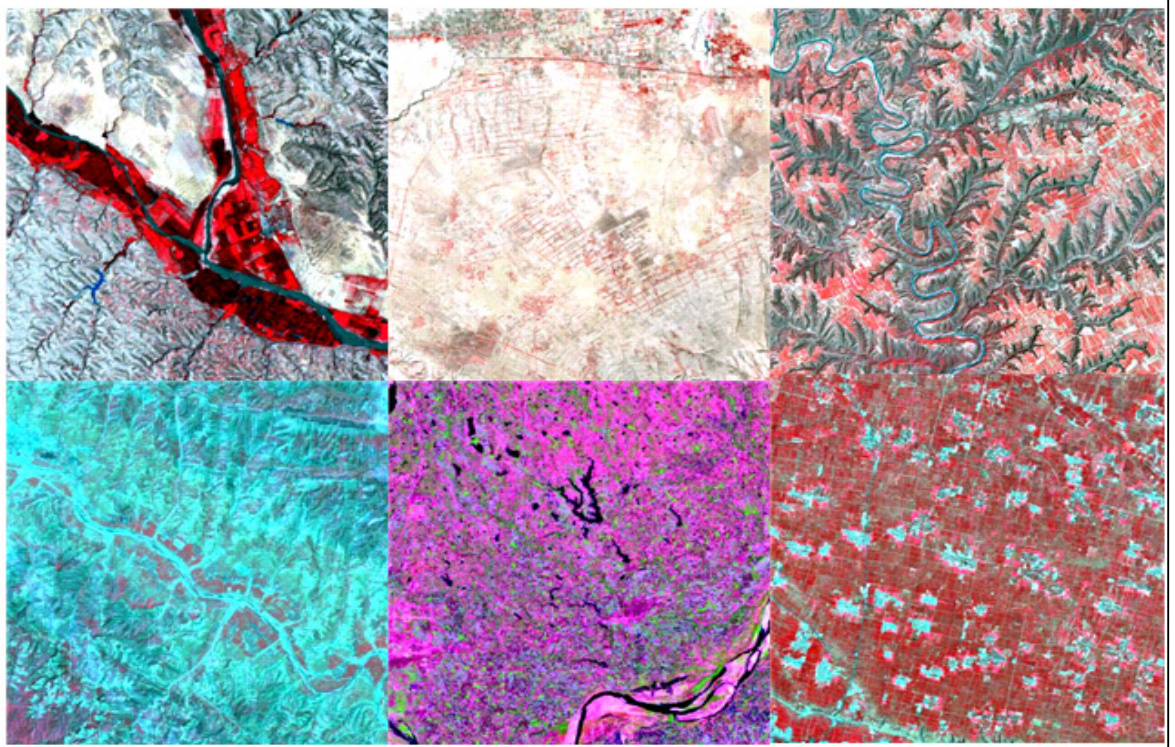
(d) Braided drainage



(e) Flooded river

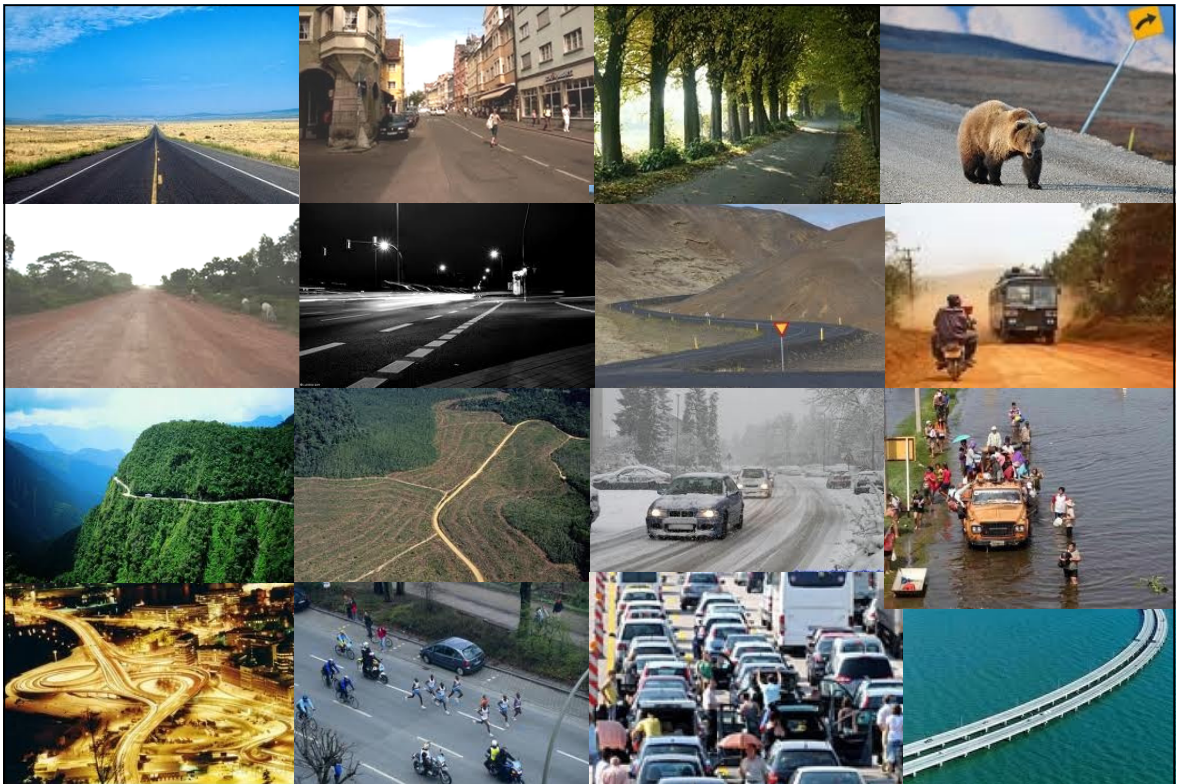


(f) Ephemeral lakes



Transfer learning for crop land areas?

Chen Jun,
2012



Transfer learning for road extraction?

M. Ziems,
2014

Summary



Summary

- Probabilistic models (MRF / CRF – also Bayes networks)
 - Considerable improvement of results through **context**
 - Very **flexible tool** for image analysis (and beyond ...)
 - image/lidar data – pixels/segments
 - occlusion modelling
 - multi-temporal/multi-scale data
 - (object tracking, moving objects, ...)
- Focus of this talk on **models for classification**:
 - Graph structure and modelling of probability density functions
 - Actual 3D reconstruction not discussed

